

Privacy preservation for Neural Network Training

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Abstract— Data mining enables us to extract interesting patterns from huge volumes of data. This can be a security/privacy issue, if we make sensitive information available to unintended users as a result of mining. Preserving the privacy of sensitive data and individuals' information is a major challenge in many applications. Privacy concerns may prevent the parties from directly sharing the data and some types of information about the data. Back propagation (BP) is one of the algorithms used for training neural networks. This algorithm is suitable for both single-layer and multi-layer models. Another neural network training algorithm values for weights. Training the network is achieved by iteratively adjusting the weights based on a set of input parameters. During this process a training sample is presented to the network and is forwarded to determine the resulting output. The difference between the obtained output and expected output in each output unit represents error. Error is back propagated is the Extreme Learning Machine (ELM) algorithm. This algorithm works only for single-layer models. This restriction makes ELM more efficient than BP by reducing the communication between multiple parties during the learning phase. Most of the neural network learning systems is designed for single-layer and multi-layer models which can be applied to continuous data and differentiable activation functions. The present work proposes a protocol for neural network training systems that guarantee data confidentiality when data is partitioned among several parties. The proposed protocol preserves the privacy of both the input data and the constructed learning model.

Keywords— Data Confidentiality, Neural Networks, Back Propagation, Extreme Learning Machine, Paillier Encryption

I. INTRODUCTION

Neural Networks have been an active research area for decades. Trained neural networks can predict efficient outputs which might be difficult to obtain in the real world. When training neural network from distributed data, privacy is a major concern. With the invention of new technologies, whether it is data mining, in databases or in any networks, resolving privacy problems has become very important. Because all sorts of data are collected from many sources, the field of machine learning is equally growing and so are the concerns regarding the privacy.

Data mining, the discovery of new and interesting patterns in large datasets, is an exploding field. Data mining techniques are used in business and research and are becoming more and more popular with time [4]. Data mining can extract important knowledge from large data collections about individuals. Protecting private data is an important concern for society. Data mining is under attack from privacy advocates because of a misunderstanding about what it actually is and a valid concern about how it's generally done. A key problem that arises in any mass collection of data is confidentiality. The generic solutions are not efficient, especially when large inputs and complex algorithms are involved. This rises a need for suitable data privacy techniques.

Privacy bothers many when the training dataset for the neural networks is distributed between two parties, which is quite common nowadays [18]. Existing algorithms provide neural network training by compromising privacy. In this paper we present an algorithm for preserving confidentiality in the neural network learning. We show that our algorithm is very secure and leaks no knowledge about other party's data.

The back propagation technique is a gradient descent method that establishes the weights in a multi-layered, feed forward neural network [15,16]. This method initially, chooses random through the network in order to adjust the weights. The training process continues until the root mean squared error from the output signal falls below a pre specified threshold.

Following are the steps of back propagation algorithm.

1. Apply the inputs to the network, forward the inputs and work out the output.
2. Next work out the error for neuron B.

$$\text{ErrorB} = \text{OutputB} (1-\text{OutputB})(\text{TargetB} - \text{OutputB})$$

The “Output(1-Output)” term is necessary in the equation because of the Sigmoid Function – if only a threshold neuron is being used, then it would just be (Target – Output).

3. Change the weight. Let W_{+AB} be the new (trained) weight and W_{AB} be the initial weight.

$$W_{+AB} = W_{AB} + (\text{ErrorB} \times \text{OutputA})$$

Update all the weights in the output layer in this way.

4. Calculate the Errors for the hidden layer neurons. Unlike the output layer these can't be calculated directly, so these are Back Propagated from the output layer. This is done by taking the Errors from the output neurons and running them back through the weights to get the hidden layer errors.
5. Having obtained the Error for the hidden layer neurons now proceed as in stage 3 to change the hidden layer weights.

Extreme Learning Machine (ELM) is a learning algorithm that is much faster than the conventional gradient-based neural network training algorithms. It is proposed by G. Huang et al. [9]. ELM considers generalized Single Layer Feed Forward Networks (SLFNs) whose hidden layer need not be tuned [9]–[12]. It was originally developed for the single-hidden-layer feed forward neural networks. It randomly selects nodes in the hidden layer, and analytically computes the output weights of the network, faster and with better average performance than the BP algorithm.

In the basic ELM, Hidden node parameters (a_i, b_i) remain fixed after randomly generated [10]. To train a single layer network is simply equivalent to finding a least-squares solution $\hat{\alpha}$ of the linear system $H\alpha = T$: $\|H\hat{\alpha} - T\| = \min_{\alpha} \|H\alpha - T\|$

The steps of basic ELM training algorithm are as follows:

Inputs:

Training set $S = \{(x_i, t_i) \mid x_i \in P_d, t_i \in P_m, i = 1, \dots, S\}$, an activation function, and L , the number of hidden nodes.

Hidden node output function $F(a_i, b_i, x)$,

- a) Randomly generate hidden node parameters (a_i, b_i), $i = 1, \dots, L$, where L is hidden node number.
- b) Calculate weights and thresholds for each hidden node.
- c) Calculate the hidden layer output matrix H .
- d) Calculate the output weight vector α : $\alpha = H^+T$

Training a neural network requires the training samples from data owners. But in many cases, data owners are not willing to share their private data for training the network at the expense of compromising on privacy. In some countries, there are acts like HIPAA, Health Insurance Portability and Accountability Act rule [13] to prohibit using or distributing individual's personal data. Even the insurance companies have to take authorization to reveal anyone's health-related data [5]. Often, the training data samples used can be partitioned in two ways: Horizontally or Vertically. With horizontal partitioning, each party holds a subset of their own samples. In this case of network training, it does not pose a significant privacy threat, since each data holder can train the network during his/her turn. Vertical partitioning distributes columns of dataset across multiple parties [17]. Some columns of the dataset are with one party and other parties hold the remaining columns. This section discusses privacy preserving extensions of two popular network training algorithms BP and ELM when data is either horizontally or vertically partitioned. There is a general purpose method in cryptography known as secure multi-party computation which can be applied during neural network training for privacy preservation [1]. This protocol can compute any probabilistic polynomial function privately.

However, this general solution is very expensive to be applied to many practical problems and so is infeasible.

II. RELATED WORK

Chris Clifton, Murat, Jaideep vaidya and Xiadong Lin[6] suggested a toolkit of components for privacy preserving in data mining applications. The toolkit secures data in single party computation. Their results shows that the toolkit does not solve multi party computations.

A. Evfimievski, J. E. Gehrke, and R. Srikant [7] define privacy breach as a property by which some private information of a client can be found by the server with high probability. They provide a new technique "Amplification" which ensures limitation on privacy breaches which occur using normal randomization technique

while protecting privacy. The authors claim to produce high quality limitation of privacy breach without the information regarding the distribution of the data.

H. Kargupta, S. Datta, Q. Wang, and K. Sivakumar [8] questions the usage of the randomization technique for privacy preserving in data mining techniques, they show that randomization does not help completely in preserving privacy. They show that original data could be retrieved from the randomized dataset. They also provide explicitly the assumptions made in preserving privacy in existing systems and provide ways by which a general framework could be provided for preserving privacy better.

III. PROPOSED TECHNIQUES

In this section we are presenting new data confidentiality technique, secure back propagation and privacy preserving ELM.

A. Data Confidentiality Technique

This technique is based on the problem to decide whether a number is an nth residue modulo n2. This problem is believed to be computationally hard in the cryptography community, and is related to the hardness to factorize n, if n is the product of two large primes.

The notation we use is the classic one, with $n = p \cdot q$ indicating the product of two large primes, Z_n the set of the integer numbers modulo n, and Z_n^* the set of invertible elements modulo n, that is, all the integer numbers that are relatively prime with n. As usual, the cardinality of the latter set is indicated by $|Z_n^*|$ and it is equal to the Euler's totient function $\phi(n)$.

Key Generation:

- a) Choose two large prime numbers p and q randomly and independent of each other such that
 - a. $\gcd(p \cdot q, (p-1)(q-1)) = 1$.
- b) Compute $n = p \cdot q$ and $\lambda = \text{lcm}(p-1, q-1)$.
- c) Select random integer g where $g \in Z_n^*$
- d) Compute $\mu = (L(g^\lambda \bmod n^2))^{-1} \bmod n$, where function L is defined as $L(u) = \frac{u-1}{n}$.
- e) The public (encryption) key is (n,g).
- f) The private (decryption) key is (λ, μ).

Encryption

Let $m < n$ be the plaintext and $r < n$ a random value. The encryption c of m is $c = \text{Encryption}(m) = g^m r^n \bmod n^2$.

Decryption

Let $c < n^2$ be the cipher text. The plaintext m hidden in c is $m = \text{Decryption}(c) = L(c^\lambda \bmod n^2) / L(g^\lambda \bmod n^2) \bmod n$, where $L(x) = (x - 1) / n$.

B. Secure Back propagation Algorithm

In this work, to make the proposed algorithm more secure, sum is to be computed instead of simply using a random number as in traditional crypto systems. For that purpose, homomorphic encryption techniques presented in [3, 19] were used. While applying homomorphic encryption, at the end of each round of training, all the parties hold the encrypted shares of the weights and not the exact weights; this guarantees more security and privacy against the intrusion by the other party.

In this training algorithm, the error function which is used to calculate whether the output is desired or not is given by:

$$e = \frac{1}{2} \sum_i (t_i - o_i)^2$$

where i varies from 1 to n (number of outputs). If the calculated error is above a pre-specified threshold, the training is to be continued by back propagating the error into the network and adjusting the weights accordingly.

Initially, during training, random weights are assigned. Assume training sample of party P1 holds attributes $x_{11}; x_{21}; \dots; x_{n1}$ and party P2 holds attributes $x_{12}; x_{22}; \dots; x_{n2}$. For each input node i of the neural network, party P1 holds x_{i1} and party P2 holds x_{i2} such that $x_{i1} + x_{i2} = x_i$. The target value $t(x)$ is known to both the parties. The aim of the algorithm is to train the network, so as to modify the weights.

While using this protocol, the product of the private inputs of the parties, x_{is} , is converted to the summation of private outputs, y_{is} :

$$\prod_{i=1}^n x_i = \sum_{i=1}^n y_i$$

Following steps explains training process for one sample. The procedure is same for all the remaining samples.

For each hidden layer node h_j ,

- a) Parties P1 and P2 obtain intermediate outputs by using their private input values and weights.
- b) Parties P1 and P2 jointly compute the sigmoid function for each hidden layer node h_j , obtaining the random output shares.

For each output layer node o_i ,

- a) Parties P1 and P2 securely compute the error and modified weights.
- b) The computed weights are propagated backward through the network to adjust weights as in traditional back propagation.

C. Privacy preserving ELM

Assume that data records are ordered such that all the records owned by party P_i , come before the records owned by party P_{i+1} . Following are the steps of proposed ELM algorithm:

Compute each item of the hidden layer output matrix H . Apply singular value decomposition (SVD) [2] to compute H^\dagger .

Calculate the output layer weight vector α by multiplying H^\dagger and T

The output weight vector α is determined by using H^\dagger which is computed using SVD of hidden layer output matrix H . Secure multi-party SMM algorithms is used to extend the computation of the SVD to the multi-party ELM environment. Secure Scalar product is the main secure building block used to develop the privacy-preserving SVD protocol s which is applied to secure matrix multiplication. This could also be used in the multi-party case, where each party has a subset of rows from the whole matrix in the horizontally partitioned case, or each party has the values of a subset of columns in the vertically partitioned case. Secure multiplication could be used to extend the secure scalar product to more than two vectors.

IV. METHODS AND MATERIALS

The results of the present work are tested on benchmark data sets provided by UCI machine learning repository. Both of the proposed algorithms are implemented by using Matlab 7.6 and JDK 1.6 running on a dual core processor. Following figures show snapshots of plain and encrypted data used in our work.

	A	B	C	D	E	F	G	H	I	J
1	5	1	1	1	2	1	3	1	1	1
2	5	4	4	5	7	10	3	2	1	1
3	3	1	1	1	2	2	3	1	1	1
4	6	8	8	1	3	4	3	7	1	1
5	4	1	1	3	2	1	3	1	1	1
6	8	10	10	8	7	10	9	7	1	2
7	1	1	1	1	2	10	3	1	1	1
8	2	1	2	1	2	1	3	1	1	1
9	2	1	1	1	2	1	1	1	5	1
10	4	2	1	1	2	1	2	1	1	1
11	1	1	1	1	1	1	3	1	1	1
12	2	1	1	1	2	1	2	1	1	1
13	5	3	3	3	2	3	4	4	1	2
14	1	1	1	1	2	3	3	1	1	1
15	8	7	5	10	7	9	5	5	4	2
16	7	4	6	4	6	1	4	3	1	2
17	4	1	1	1	2	1	2	1	1	1
18	4	1	1	1	2	1	3	1	1	1

Fig. 1. Plain input data

Encrypted data:

2401	14384	17343	4396	19622	7363	17632	1483	18834
17852	6522	7914	14893	18944	5301	8045	5849	20145
1021	19854	4519	13626	7642	2555	18188	13443	2082
5794	16165	8889	12735	18938	14992	2434	8990	11706
11547	14401	1511	11267	1427	16440	16509	14787	16433
3763	12202	12915	1830	15789	16602	2368	2422	11140
10410	11588	11553	3655	11586	13892	12438	355	4038
6735	19755	12357	20352	8446	14660	16487	19846	14821
3566	590	6076	14986	2154	19537	14414	4725	17172
14401	17651	8410	3780	2271	17012	11989	10960	4022
10926	19220	5314	13133	11767	3000	18958	2304	13990
5481	12395	12803	10676	11001	10299	13777	3684	19282
16376	17497	12981	11255	16191	8933	985	17766	8667
2942	16395	10658	6957	7134	3942	15412	9436	8823
13826	3363	329	19518	17734	4274	5294	707	5741
15845	11788	8686	14692	7649	8035	5552	13397	12589
17707	18079	10418	4076	13272	4907	12750	5669	9511
4561	7335	13707	17073	11523	5503	17255	2701	4325
13968	18409	11785	5062	15581	18367	13209	12175	7242
6308	6771	4132	4231	9784	12159	5860	1230	16350
18762	5332	15383	14452	19468	11370	13908	1158	16503
163	10903	3763	5987	853	19414	14081	862	17872
13733	1657	15942	5506	11356	2459	19460	2887	19493
2902	18698	4938	12366	13419	4665	14325	7578	12124
9155	5014	19380	15900	20395	17130	3539	6752	11290
20186	15150	15087	5530	6866	4701	19986	10006	1018

the encrypted data

Fig. 2. Encrypted output data

```

enter no of units in 1st hidden layer
5
Warning: Integer operands are required for colon operator when used as index
> In privacy at 39
the current epoch is 1
the current epoch is 2
the current epoch is 3
the current epoch is 4
the current epoch is 5
the current epoch is 6
the current epoch is 7
the current epoch is 8
the current epoch is 9
the current epoch is 10
TRAINING IS COMPLETED

testing_rate =

0.7725
    
```

Fig. 3. Snapshot of the Sample Output

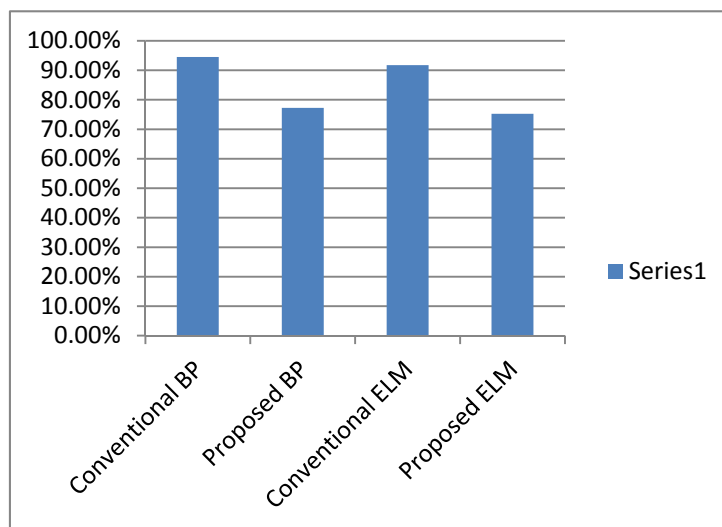


Fig. 4. Bar Chart of the Results

Following table shows the classifier accuracies obtained. Classifier accuracies are computed by using 10-fold Cross Validation method. Experimental results showed that the inclusion of cryptographic operations caused slight decrease in accuracy. Since the accuracy loss is within the acceptable range and confidentiality is of primary concern, we can conclude that proposed approaches are quite effective in learning real world datasets.

TABLE I. CLASSIFIER ACCURACIES

Neural Network Learning Method	Accuracy
Conventional BP	94.534%
Proposed BP	77.254%
Conventional ELM	91.729%
Proposed ELM	75.273%

V. CONCLUSION

In this paper we proposed a protocol for ensuring the confidentiality of the data among multiple parties during neural network training. The proposed protocol is implemented for two popular neural network training methods BP and ELM. The proposed method could be used successfully for neural network training using real world datasets. Results have shown that addition of cryptographic components has decreased classifier accuracy. The proposed methods are to be enhanced to address this issue. Other potential areas for future work include designing secure protocols for recurrent networks and learning models with activation functions other than the threshold and sigmoid functions.

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